

## Calculus Warm Up #1-4

Decide if the given sequence converges or diverges. Support your answer.

$$1) a_n = \frac{n^2}{2^n - 1}$$

$$2) a_n = \frac{20e^n}{(n+3)!}$$

Classwork:

Free Response Practice, # 1 - 3

With Graphing Calculator

$$1a) \int_0^4 E(t) dt \approx 3,981 \text{ gallons}$$

b) possible extrema where  $E(t) - 645 = 0$   
or @ endpoints where  $t = 0 \neq 4$

Max @  $t \approx 2.309$  hrs.

Max amount  $\approx 1637$  gallons.

$$c) C(t) = 0.15 - 0.02t \text{ dollars/gal}$$

$$\text{Total cost} = \int_0^4 [C(t)][E(t)] dt$$

$$\approx \$474$$

Week 1 Classwork: Turned in tomorrow

Warm Up on top

MC practice Part A, corrected  
with your chosen practice book  
problems attached.

FR practice #1 - 3

Week 1 HW Quiz: Tuesday, 4/3

p. 570, MC practice Part B, FR # 4 - 6

HW:

Finish up AP Practice tests

Check MC Part B answers.

(following this slide)

\* Friday's HW: FR Practice # 4 - 6

Check answers: MC part B, with calculator

76. C

83. D

90. E

77. D

84. E

91. D

78. E

85. D

92. C

79. A

86. B

80. D

87. A

81. B

88. C

82. C

89. D

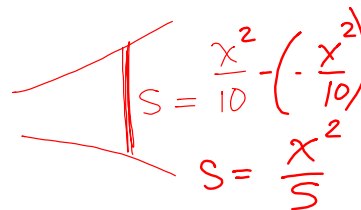
Questions MC B:

$$77) = \int_0^5 3 dx + 2 \left[ \int_0^3 f(x) dx + \int_3^5 f(x) dx \right]$$

85) Squares  $A = s^2$

$$V = \int_1^4 A(x) dx$$

$$= \int_1^4 \frac{x^4}{25} dx$$



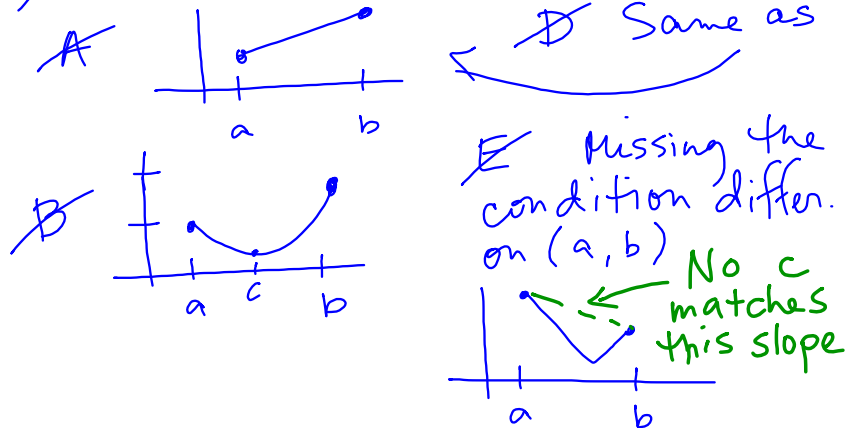
$$S = \frac{x^2}{10} - \left( -\frac{x^2}{10} \right)$$

$$S = \frac{x^2}{5}$$

79)  $W = 81.637 \text{ gal.}$   
 $@ t=0$   $\frac{dW}{dt} = 9 \sin \sqrt{t+1}$

$$W = 81.637 - \int_0^6 9 \sin \sqrt{t+1} dt$$

82) counter example



83)

$$f'(2.8) < f'(3.0) < f'(3.1)$$

29 30.5

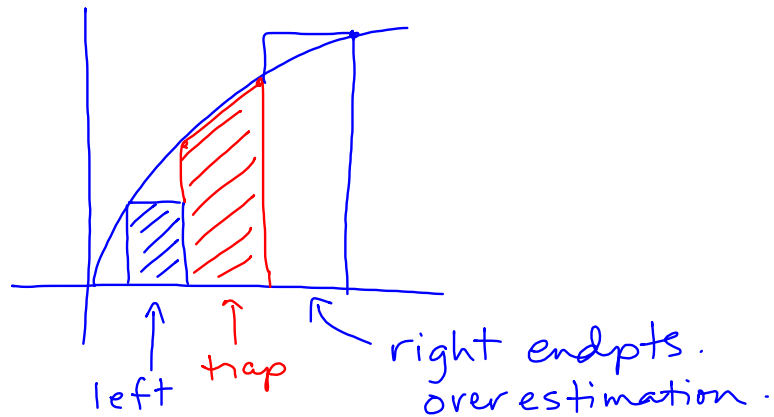
on  $2.8 < x < 3.0$

$$f' \approx \frac{45 - 39.2}{3.0 - 2.8} \approx 29$$

on  $3.0 < x < 3.1$

$$f' \approx \frac{48.05 - 45}{3.1 - 3.0} \approx 30.5$$

80)



$$88) \text{ Avg} = \frac{1}{b-a} \int_a^b f(x) dx$$

$$90) f(g(x)) = x \rightarrow f \text{ and } g \text{ are inverses}$$

inverses have  
reciprocal  
slopes.

$$f(3) = 8 \quad f'(3) = 9$$

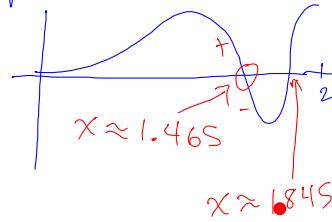
$$g(8) = 3 \quad g'(8) = \frac{1}{9}$$

$$91) \text{ Total distance} = \int_0^4 |v(t)| dt$$

92) Max where  $f'$  goes from + to -  
graph  $f'$

compare outcome  
@ endpoints &  $\approx 1.465$

$f(\approx 1.465) > f(0)$   
because  $f$  increases  
on  $(0, \approx 1.465)$



$$\int_{\approx 1.465}^{\approx 1.845} f'(x) dx \approx -0.240$$

$$\int_{\approx 1.845}^2 f'(x) dx \approx 0.10$$